Graph Theory – Vocabulary List

```
adjacency matrix = connection matrix
approximate (v., adj.)
   - \rightarrow approximation (n.) (of sth.)
bridge (= graph bridge)
centre of a graph
clique
colouring (= coloring AmE)
    - edge c. \rightarrow edge-coloured graph
    - vertex c. \rightarrow vertex-coloured graph
    - chromatic number
    - achromatic number
cut
cycle
    – graph c.
   - Hamiltonian c.
   - Eulerian/Euler = E. circuit = E. tour
edge = arc (= line)
   - directed
   - separating
    - subdivision of an edge
    - edge set
endpoint
forest
graph
    - simple g. × multigraph

    pseudograph

    - directed \rightarrow directedness (n.)
       × undirected
    - oriented
       × non-oriented
   - labelled ( = labeled AmE)
           edge-labelled

    vertex-labelled

    - connected
       × disconnected

    k-connected g.

           edge-connectivity

    vertex-connectivity

           totally disconnected = edgeless
      cyclic
    _
       \times acyclic
    - k-partite graph
           • e.g. bipartite gr.
    - complete g. \rightarrow completeness (n.)
```

- planar
- × non-planar
- finite
 - × infinite
- n-regular g.
- uniform g.

- homeomorphic graphs
- homomorphic graphs
- isomorphic graphs
- Eulerian g.
- graph order = order of a graph
- size of a g.
- null $g_{\cdot} = empty g_{\cdot}$

graph component

- strongly connected

incident (adj.)

```
- an edge is incident to its endpoints
```

intersection

- of graphs
- graph

in-degree

loop

```
– simple
```

matching

maximal subgraph for a particular property × minimal

maximum subgraph for a particular property

neighbour

subgraph

out-degree

path

- = Hamiltonian walk
- closed p. = cycle
- Hamiltonian path = H. line
- Euler ian p. = Euler walk = Euler chain = Euler trail = E. line

problem

- transport p.
- travelling-salesman p.
- four colour problem

simplex

spanning (*adj*.)

- subgraph
- tree
 - minimal spanning tree

trail

- closed = circuit

tree

- vertex = node (= point)
 - of a graph
 - adjacent vertices
 - even
 - odd
 - degree = the degree of a graph vertex
 - articulation v. = cut-vertex = cutpoint
 - terminal v.
 - isolated

walk

- oriented