

Figure 2.2.9.-1. – Suspended-level (Ubbelohde-type) capillary viscometer

PROCEDURE

Select a capillary viscometer of appropriate size to obtain a minimum flow time of 200 s.

Calibration

Capillary viscometers are calibrated at regular intervals as defined in the quality management system and dictated by the frequency of use of the equipment and the application.

Calibrate the instrument at the temperature used for the measurement by using at least 2 certified reference materials matching the viscosity range of the viscometer.

Calculate the viscometer constant (k) in square millimetres per second squared, using the following expression:

$$k = \frac{\eta}{\rho t}$$

η = dynamic viscosity of the certified reference material, in millipascal seconds;

ρ = density of the certified reference material, in milligrams per cubic millimetre;

t = flow time for the certified reference material to drop from the upper mark to the lower mark, in seconds.

Calculate the mean of the values obtained.

Method

Charge the viscometer (Figure 2.2.9.-1) through tube L with a sufficient quantity of the liquid to be examined (previously brought to 20 °C unless otherwise prescribed) to fill bulb A while ensuring that the level of liquid in bulb B is below the exit to ventilation tube M . Immerse the viscometer in the upright position in a water-bath at 20.0 ± 0.1 °C (unless otherwise prescribed) and allow to stand for not less than 30 min to allow the temperature to reach equilibrium. Close tube M and draw the level of the liquid in tube N up to a level about 8 mm above mark E . Keep the liquid at this level by

closing tube N and opening tube M . Open tube N and, using a stopwatch, measure the time required, to at least the nearest 1/5 of a second, for the level of the liquid to drop from mark E to mark F .

The flow time of the liquid to be examined is the mean of 3 consecutive measurements. The result is valid if the relative standard deviation of the 3 measurements is not more than 2.0 per cent.

Calculation

Calculate the kinematic viscosity (ν) (2.2.8), in square millimetres per second, using the following expression:

$$\nu = kt$$

k = viscometer constant, in square millimetres per second squared;

t = flow time of the liquid to be examined, in seconds.

Calculate the dynamic viscosity (η) (2.2.8), in millipascal seconds, using the following expression:

$$\eta = kpt$$

ρ = density of the liquid to be examined at the temperature used for the viscosity measurement, in milligrams per cubic millimetre.

The density may be obtained by multiplying the relative density of the liquid to be examined by 0.99820 (measurement at 20 °C) or 0.99704 (measurement at 25 °C).

01/2008:20210



2.2.10. VISCOSITY - ROTATING VISCOMETER METHOD

The principle of the method is to measure the force acting on a rotor (torque) when it rotates at a constant angular velocity (rotational speed) in a liquid. Rotating viscometers are used for measuring the viscosity of Newtonian (shear-independent viscosity) or non-Newtonian liquids (shear dependent viscosity or apparent viscosity). Rotating viscometers can be divided in 2 groups, namely absolute and relative viscometers. In absolute viscometers the flow in the measuring geometry is well defined. The measurements result in absolute viscosity values, which can be compared with any other absolute values. In relative viscometers the flow in the measuring geometry is not defined. The measurements result in relative viscosity values, which cannot be compared with absolute values or other relative values if not determined by the same relative viscometer method.

Different measuring systems are available for given viscosity ranges as well as several rotational speeds.

APPARATUS

The following types of instruments are most common.

CONCENTRIC CYLINDER VISCOMETERS (ABSOLUTE VISCOMETERS)

In the concentric cylinder viscometer (coaxial double cylinder viscometer or simply coaxial cylinder viscometer), the viscosity is determined by placing the liquid in the gap between the inner cylinder and the outer cylinder. Viscosity measurement can be performed by rotating the inner cylinder (Searle type viscometer) or the outer cylinder (Couette type viscometer), as shown in Figures 2.2.10.-1 and 2.2.10.-2, respectively. For laminar flow, the viscosity (or apparent viscosity) η expressed in pascal-seconds is given by the following formula:

$$\eta = \frac{1}{\omega} \left(\frac{M}{4\pi h} \right) \left(\frac{1}{R_i^2} - \frac{1}{R_o^2} \right) = k \frac{M}{\omega}$$

- M = torque in newton-metres acting on the cylinder surface,
- ω = angular velocity in radians per second,
- h = height of immersion in metres of the inner cylinder in the liquid medium,
- R_i = radius in metres of the inner cylinder,
- R_o = radius in metres of the outer cylinder,
- k = constant of the apparatus, expressed in radians per cubic metre.

For non-Newtonian liquids it is indispensable to specify the shear stress (τ) or the shear rate (γ) at which the viscosity is measured. Under narrow gap conditions (conditions satisfied in absolute viscometers), there is a proportional relationship between M and τ and also between ω and γ :

$$\tau = AM \quad \gamma = B\omega$$

where A and B are constants for the instrument and are calculated from the following expressions:

- for concentric surface:

$$A = \frac{1}{4\pi h} \frac{R_i^2 + R_o^2}{R_i^2 R_o^2} \quad B = \frac{R_i^2 + R_o^2}{R_o^2 - R_i^2}$$

- for cone-plates:

$$A = \frac{3}{2\pi R^3} \quad B = \frac{1}{\alpha}$$

- M = torque in Newton-metres acting on the cone or cylinder surface,
- ω = angular velocity in radians per second,
- R_i = radius in metres of the inner cylinder,
- R_o = radius in metres of the outer cylinder,
- R = radius in metres of the cone,
- h = height of immersion in metres of the inner cylinder in the liquid medium,
- α = angle in radians between the flat disk and the cone,
- τ = shear stress in pascals (Pa),
- γ = shear rate in reciprocal seconds (s^{-1}).

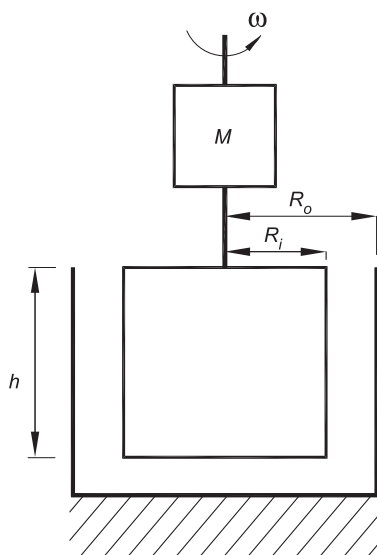


Figure 2.2.10.-1

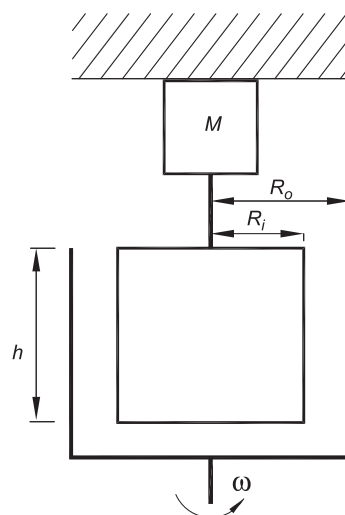


Figure 2.2.10.-2

CONE-PLATE VISCOMETERS (ABSOLUTE VISCOMETERS)

In the cone-plate viscometer, the liquid is introduced into the gap between a flat disc and a cone forming a define angle. Viscosity measurement can be performed by rotating the cone or the flat disc, as shown in Figures 2.2.10.-3 and 2.2.10.-4, respectively. For laminar flow, the viscosity (or apparent viscosity) η expressed in pascal-seconds is given by the following formula:

$$\eta = \left(\frac{M}{\omega}\right) \left(\frac{3\alpha}{2\pi R^3}\right) = k \frac{M}{\omega}$$

- M = torque in Newton-metres acting on the flat disc or cone surface,
- ω = angular velocity in radians per second,
- α = angle in radians between the flat disc and the cone,
- R = radius in metres of the cone,
- k = constant of the apparatus, expressed in radians per cubic metre.

Constants A, B of the apparatus (see under concentric cylinder viscometers).

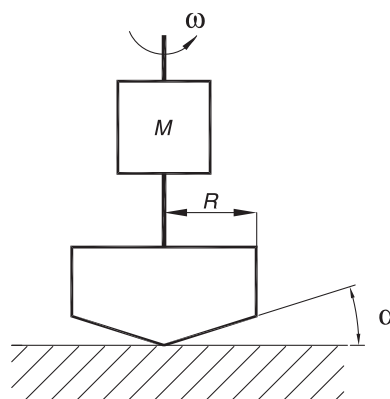


Figure 2.2.10.-3

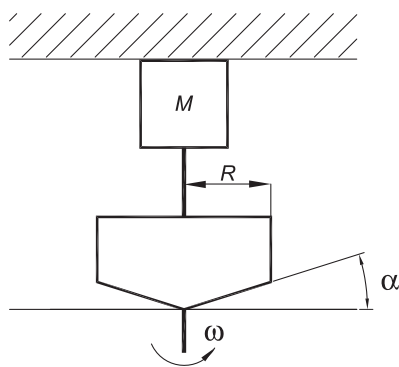


Figure 2.2.10.-4

SPINDLE VISCOMETERS (RELATIVE VISCOMETERS)

In the spindle viscometer, the viscosity is determined by rotating a spindle (for example, cylinder- or disc-shaped, as shown in Figures 2.2.10.-5 and 2.2.10.-6, respectively) immersed in the liquid. Relative values of viscosity (or apparent viscosity) can be directly calculated using conversion factors from the scale reading at a given rotational speed.

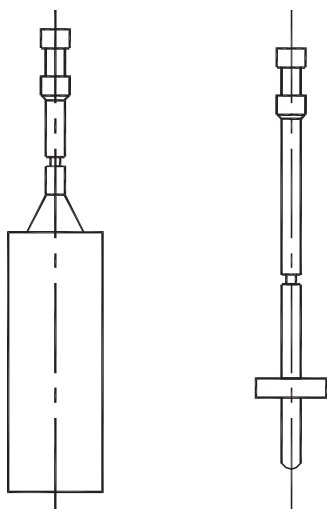


Figure 2.2.10.-5

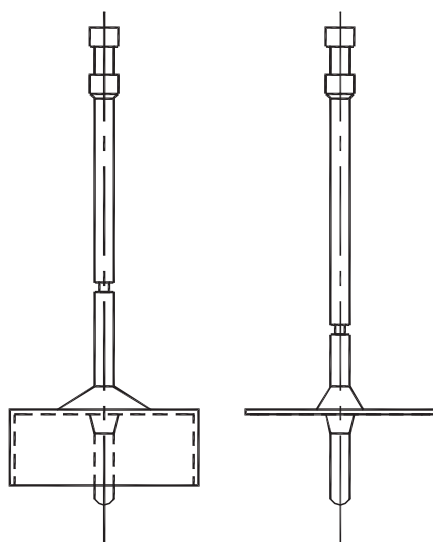


Figure 2.2.10.-6

In a general way, the constant k of the apparatus may be determined at various speeds of rotation using a certified viscometer calibration liquid. The viscosity η then corresponds to the formula:

$$\eta = k \frac{M}{\omega}$$

METHOD

Measure the viscosity (or apparent viscosity) according to the instructions for the operation of the rotating viscometer. The temperature for measuring the viscosity is indicated in the monograph. For non-Newtonian systems, the monograph indicates the type of viscometer to be used and if absolute viscometers are used the angular velocity or the shear rate at which the measurement is made. If it is impossible to obtain the indicated shear rate exactly, use a shear rate slightly higher and a shear rate slightly lower and interpolate.

With relative viscometers the shear rate is not the same throughout the sample and therefore it cannot be defined. Under these conditions, the viscosity of non-Newtonian liquids determined from the previous formula has a relative character, which depends on the type of spindle and the angular velocity as well as the dimensions of the sample container ($\varnothing =$ minimum 80 mm) and the depth of immersion of the spindle. The values obtained are comparable only if the method is carried out under experimental conditions that are rigorously the same.

07/2015:20211

**2.2.11. DISTILLATION RANGE**

The distillation range is the temperature interval, corrected for a pressure of 101.3 kPa, within which a liquid or a specified fraction of a liquid, distils under the following conditions.

Apparatus. The apparatus (see Figure 2.2.11.-1) consists of a distillation flask (A), a straight tube condenser (B) which fits on to the side arm of the flask and a plain-bend adaptor (C) attached to the end of the condenser. The lower end of the condenser may, alternatively, be bent to replace the adaptor. A thermometer is inserted in the neck of the flask so that the upper end of the bulb is 5 mm lower than the junction of the lower wall of the lateral tube. The thermometer can be read to the nearest 0.2 °C and covers a range of at least 50 °C. During the determination, the flask, including its neck, is protected from draughts by a suitable screen.

Method. Place in the flask (A) 50.0 mL of the liquid to be examined and a few pieces of porous material. Collect the distillate in a 50 mL cylinder graduated in millilitres. Cooling by circulating water is essential for liquids distilling below 150 °C. Heat the flask so that boiling is rapidly achieved and note the temperature at which the first drop of distillate falls into the cylinder. Adjust the heating to give a regular rate of distillation of 2-3 mL/min and note the temperature when the whole or the prescribed fraction of the liquid, measured at 20 °C, has distilled.

Correct the observed temperatures for barometric pressure by means of the formula:

$$t_1 = t_2 + k(101.3 - b)$$

- t_1 = the corrected temperature,
- t_2 = the observed temperature, at the barometric pressure b ,
- k = the correction factor taken from Table 2.2.11.-1 unless the factor is given,
- b = the barometric pressure, expressed in kilopascals, during the distillation.