

## Set theory and Logic

Axiom → axiomatic (*adj.*)

Cartesian product

Cardinal numbers

- → cardinality of a set

Completeness

Consistency

Condition

- necessary c. -  $P \Rightarrow S$  "S is a necessary condition for P"
- sufficient c. -  $P \Rightarrow S$  "P is a sufficient condition for S"

Counterexample

DeMorgan's laws

Difference

Element

- $a \in S$  : "a is an element of S", "a belongs to S", "a lies in S"

Intersection

- "the intersection of A and B", "A intersect B"

Union

- "the union of A and B", "A union B"

Complementation

- → complement (of S with respect to (/in) U)

Ordinal numbers

Quantifier

- existential
  - $\exists!$  "there exists/is one and only one" "there exists/is exactly one"
- universal

Proof

- formal p.
- direct p.
- indirect p. = by contradiction
- by cases
- by induction **on** n (*in Czech 'indukce podle n'*)

Proposition

Tautology

Theorem

Truth functional connective

- Boolean connective
  - conjunction - "and"
  - disjunction - "or"
  - negation - "not"
- (material) conditional = *if ... then ...* statement = implication
- biconditional = *if and only if* statement = equivalence

Truth table

Truth value

Set

- null = empty
- universal = universe of discourse = domain of discourse
- finite /fainait/ × infinite /ɪnfɪnət/

Subset

- proper
- improper