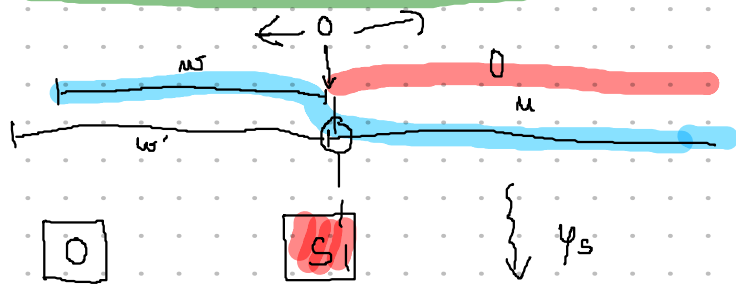


ABSTRAKTNÍ STAVY

$$G : F((D)) \rightarrow F((D))$$



$$\psi_s = \psi_w$$

$$\begin{cases} k(a+b) = k(a) + k(b) \\ [k(a \cdot D)] \neq k(a) \cdot D \\ a = D^{-1} \end{cases}$$

$$\omega + \mu \mapsto (\omega + \mu)G = \omega G + \mu G$$

$$\text{tak } k(\alpha) \in F[[D]]$$

KAUZALNÍ

$$\alpha(\alpha) \in F[D^{-1}] \cdot D^{-1}$$

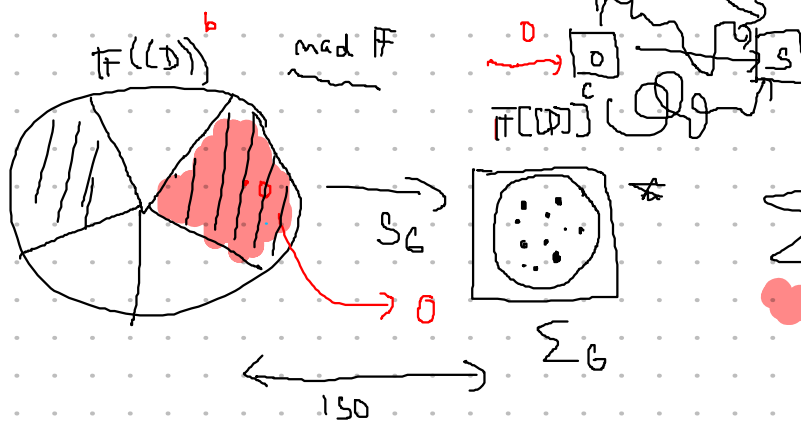
ANTIKAUZALNÍ

$$\begin{aligned} \psi_w(\mu) &= \omega = k((\omega + \mu)G) = k(\omega G + \mu G) \\ &= k(\omega G) + k(\mu G) = \boxed{k(\omega G)} + \boxed{\mu G} \end{aligned}$$

$$S_G : F((D)) \rightarrow F[[D]]$$

$$\omega \mapsto k(\alpha(\omega) \cdot G)$$

AS



PROSTOR A.S.

$$\Sigma_G = F((D)) / \sim_{S_G} = F((D)) / S_G^*$$

$$K : \mathcal{A}(S, \mu) \mapsto \begin{pmatrix} \mathcal{U} \\ S' \end{pmatrix}$$

$$e \Sigma_G$$

$$\lambda_G / \delta_G ([\omega]_G, \mu)$$

$$s = [\omega] \otimes \begin{pmatrix} 0 \\ \downarrow \\ \omega_0 \end{pmatrix} \xrightarrow{\downarrow \mathbb{F}^b} \left(\frac{(\omega + \vec{\mu}_0 \cdot 1)}{\omega \cdot D^{-1}} \cdot G \right)_0 := \mathcal{U}$$

$$[\omega \cdot D^{-1} + \mu_0]$$

